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# A Machine Learning Approach for Automatic Road Extraction

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# Introduction

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## ✦ Automatic Road Extraction

- concerned with development of computer vision algorithms for pattern recognition and vector delineation of roads from remotely sensed scenes
- fundamental step in acquisition and maintenance of geographical databases

## ✦ Machine Learning and Parameter Tuning

- many extraction algorithms exist, but heuristic or with manually tuned parameters
- parameter tuning is key to success of fully automated methods

## ✦ Novel Automatic Method

- based on fast marching level set method
- machine learning for parameter tuning
- information fusion for refinement of object delineation

# System Overview

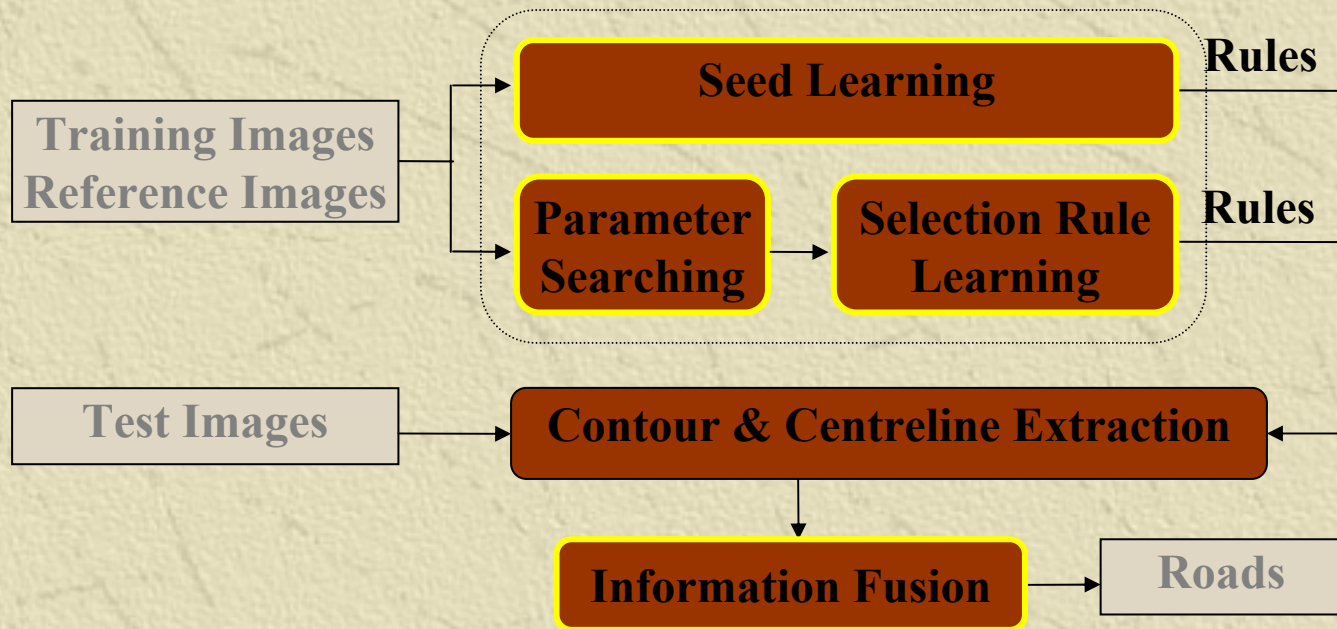


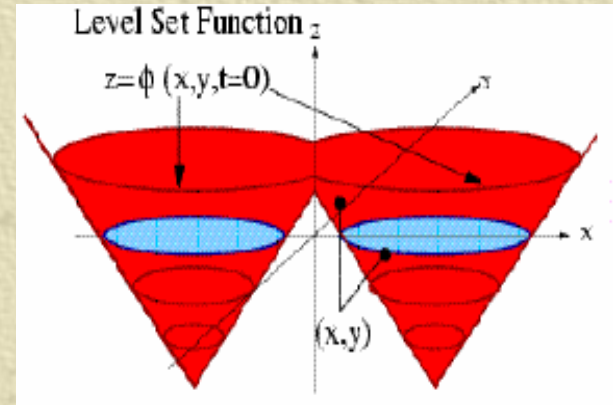
Figure 1 Overview of the proposed system

# Fast Marching Level Set Method

- 
- ✦ **Similar to, but has advantages over, classic “snakes”**
    - consists of a moving contour, and
    - user defined terms for introducing speed constraints
  - ✦ **Smartly handles sharp corners and topological changes**

# Fast Marching Level Set Method (ctd)

Let  $\gamma_0$  be a closed, nonintersecting initial curve.  
 Assume  $\phi(x,t), x \in R^2$ , is a scalar function such that  
 at time  $t$  the zero-level set of  $\phi(x,t)$  is the curve  
 $\gamma_1$ , which consists of all pixel  $x$  satisfied  $\phi(x,t) = 0$ .



Let  $\phi(x,0) = \pm d(x)$ , where  $d(x)$  is the distance  
 from  $x$  to the curve  $\gamma_0$ .

Let such level set of  $\phi(x, t) = z$  evolve along its gradient field with speed  $F$ .  
 The particle speed  $\partial x / \partial t$  in the direction  $n$  normal to the level set is given by  
 the speed function  $F$ .

$$\frac{\partial x}{\partial t} \cdot n = F \Rightarrow \frac{\partial x}{\partial t} \cdot \frac{|\nabla \phi|}{\nabla \phi} = F \Rightarrow \frac{\partial x}{\partial t} = F \cdot \frac{\nabla \phi}{|\nabla \phi|}$$

By the chain rule,  $\phi(x, t) = z \Rightarrow \phi_t + \frac{\partial x}{\partial t} \cdot \nabla \phi = 0 \Rightarrow \phi_t + F \cdot |\nabla \phi| = 0$

# Fast Marching Level Set Method (ctd)

Assume that  $F > 0$ ,  $\Phi(x,y,t) = 0$  becomes single-valued in  $t$ , i.e. each pixel is visited once. This leads to the fast marching level set method:

$$F|\nabla\mu(x, y)| = 1, \text{ where}$$

$\mu$  - arrival time of the contour

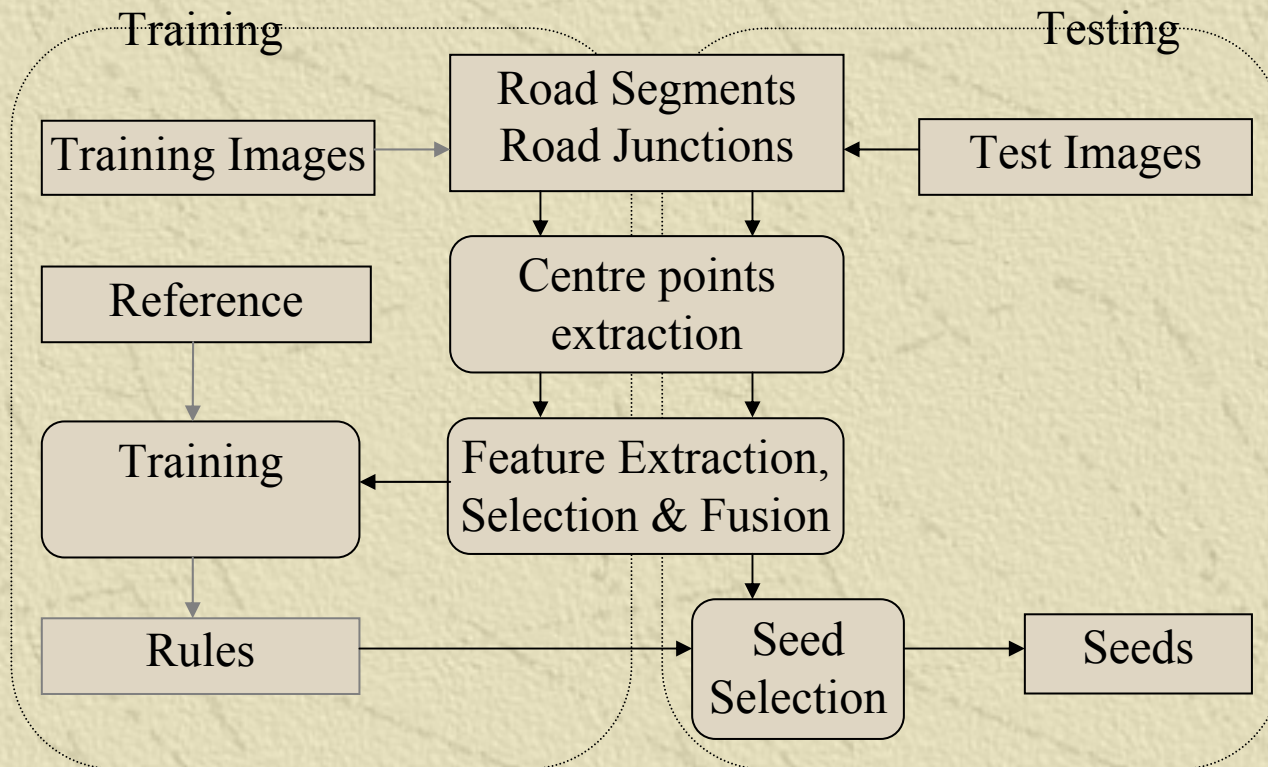
$F$  - the speed function

Combined with an optimal sorting technique, this leads to a very fast solution.

# Road Recognition

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- ✦ Two Problems with fast marching level set method
    - **Seed selection**
    - **Parameter tuning for speed function**
  
  - ✦ Our Primary Contribution
    - **Automatic Seed selection (1)**
    - **Automatic parameter tuning (2)**
  
  - ✦ Further Performance Improvement
    - **Information Fusion at decision level (3)**

# (1) Seed Selection



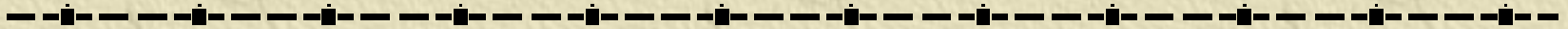
**Figure 2 Seeds learning**



# (1) Seed Selection (ctd)

- 
- ✦ Candidate seeds extracted from junction centre points
  - ✦ Feature subset selection for the seeds
  - ✦ Feature fusion for combining texture features from candidate seeds and segments
  - ✦ C4.5 & SVM as learning algorithms
  - ✦ Stacking for decision fusion
  - ✦ Texture features (see next slide)

# (1) Seed Selection (ctd)



**Table 1. Feature List**

<b>Co-occurrence Matrix Based</b>	<b>Histogram Based</b>
<b>energy</b>	<b>mean</b>
<b>correlation</b>	<b>variance</b>
<b>contrast</b>	<b>skewness</b>
<b>dissimilarity</b>	<b>kurtosis</b>
<b>homogeneity</b>	<b>energy</b>
<b>entropy</b>	<b>entropy</b>
<b>maximum</b>	
<b>sum</b>	

## (2) Parameter Tuning

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Speed function formulation due to Keaton and Brokish (2003):

First attempt:

$$F(\mathbf{x}, \mathbf{y}) = \left\{ \left( e^{-\frac{1}{2}(\hat{c}(x,y) - \bar{\mu}_0)} + e^{-|T(x,y) - T_0|} \right) \times \frac{1}{1 + |\nabla I(\mathbf{x}, \mathbf{y})|} \right\} - 10^{-t}. (1)$$

$$\bullet \quad \bar{\mu}_0 = \frac{1}{n} \sum_{i=1}^n I_i, T_0 = \frac{1}{n} \sum_{i=1}^n T_i$$

- Add a term  $10^{-t}$  to enable learning the speed according to characteristics of the image
- Texture feature vector  $T$  is based on the 'best' feature subset of a larger feature set

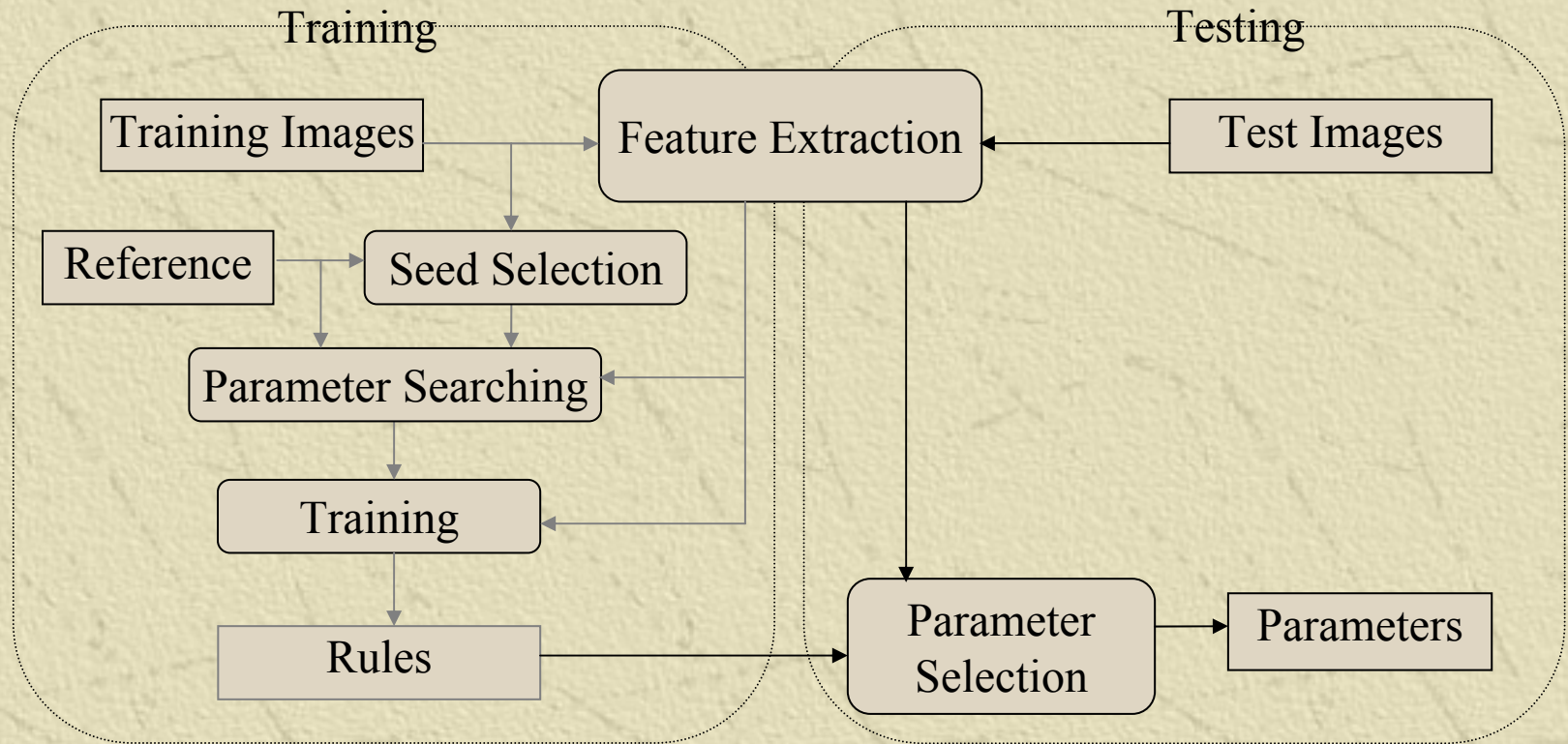
## (2) Parameter Tuning (ctd)

Second attempt :

$$F(\mathbf{x}, \mathbf{y}) = \left( e^{-\frac{1}{2}(\hat{c}(x,y) - \bar{\mu}_0)\Sigma^{-1}(\hat{c}(x,y) - \bar{\mu}_0)^T} + e^{-|T(x,y) - T_0|} \right) \times \frac{1}{1 + |\nabla I(\mathbf{x}, \mathbf{y})|^P}. \quad (2)$$

- Term  $\Sigma$  and  $P$  are parameters that will be automatically tuned

## (2) Parameter Tuning (ctd)



**Figure 3 Parameter learning**

## (2) Parameter Tuning (ctd)

### **Sequential Search** - for Speed Function (1)

- Sequential Search
  - Sequentially test a range of parameter values
- Evaluate and Compare
  - The extractor itself is used as part of the evaluation function
  - Compare the performance for each parameter value attempted
- Select the best parameter value that produces the best performance of the extractor
- SVM regression to learn the relationship between image characteristics and best parameter value

## (2) Parameter Tuning (ctd)

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### **Genetic search** - for Speed Function (2)

- Genetic Algorithm

  - Random search method rather than analytical methods or exhaustive search
  - Avoid constructing a complicated model using *a priori* knowledge
  - Reduce the computation burden

- Evaluate and Compare – same as sequential search

- Select the best parameter value

- SVM regression for learning

## (2) Parameter Tuning (ctd)

```
initialize  $\theta$ ,  $P_{co}$ ,  $P_{mut}$ ,  $L$  n-bit chromosomes
do determine fitness of each chromosome
  rank the chromosomes
do random select two chromosomes
  if  $\text{Rand}[0, 1) < P_{co}$  then
    crossover the pair at a randomly chosen bit
  else
    change each bit with probability  $P_{mut}$ 
  remove the parent chromosomes
until  $L$  offspring have been created
until reach the maximum iteration limitation  $\theta$ 
return highest fitness chromosome
```

**Figure 4 Genetic Algorithm**



## (2) Parameter Tuning (ctd)

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### **Training:**

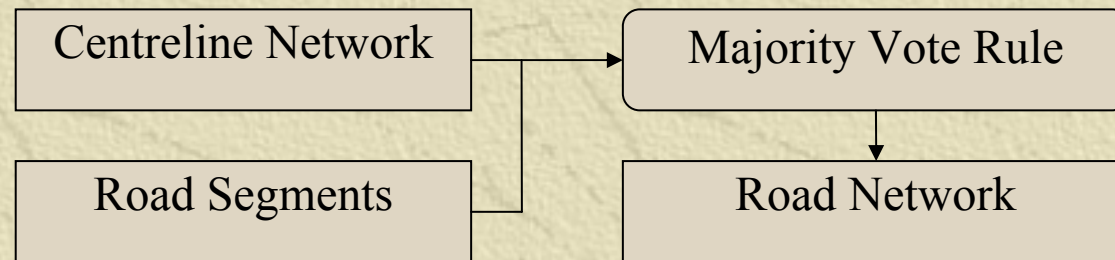
- initialize training images and references for each training image
- find optimal parameters by GA
- create features
- build parameter selection rules by learning
- return parameter selection rules

### **Testing:**

- initialize parameter selection rules, new images for each new image
- calculate features
- find parameters using selection rules
- return parameters

**Figure 5 Parameter Tuning Using Genetic Algorithm**

### (3) Decision Fusion



**Figure 6 Decision fusion**

Majority Vote Rule:

Assign ROAD to *class*  $\omega_j$  if  $\nabla R_1 \cap \nabla R_2$ , otherwise NONROAD to *class*  $\omega_j$ .  
 $\nabla R_1$  and  $\nabla R_2$  are the decisions of the individual classifiers.

# Experimental Setup

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## Dataset

- Dataset consists of 11 grey-scale high resolution remotely sensed images from a rural area.
- Size of each image is  $1024 \times 1024$  pixels cropped from a larger image of ground resolution 1.3 meters per pixel.
- For experiments using genetic search, each image is further split into 9 patches to construct a 99 image patch training set.
- Leave-one-out cross validation is used in order to learn from the largest available dataset and obtain effective test sets.

# Experimental Setup (ctd)

## Evaluation Metrics

- We use the centerline vector reference model (Wiedemann et al. 1998).
- Manually delineated references are provided as line vectors.
- Evaluation is performed by comparing the recognized road centerline vectors against manual reference.
- The evaluation measures are given by:

$$completeness = \frac{length_{TP}}{length_{reference}}, correctness = \frac{length_{TP}}{length_{classified}},$$

$$length_{TP} = length_{(reference \cap classified)}.$$

- The two measures above are combined into a general measure of quality:  
 $CXC = completeness \times correctness^2$   
CXC is also used as the fitness for the genetic algorithm.


# Experimental Results - Seed selection


- 
- ✦ Achieved 89% correctness by leave-one-out cross validation
  - ✦ Only 4% false positives, causes incorrect object contours and centrelines
  - ✦ Final centreline was improved by decision fusion


# Experimental Results – Sequential Search

Table 2. Results of parameter learning by algorithm one

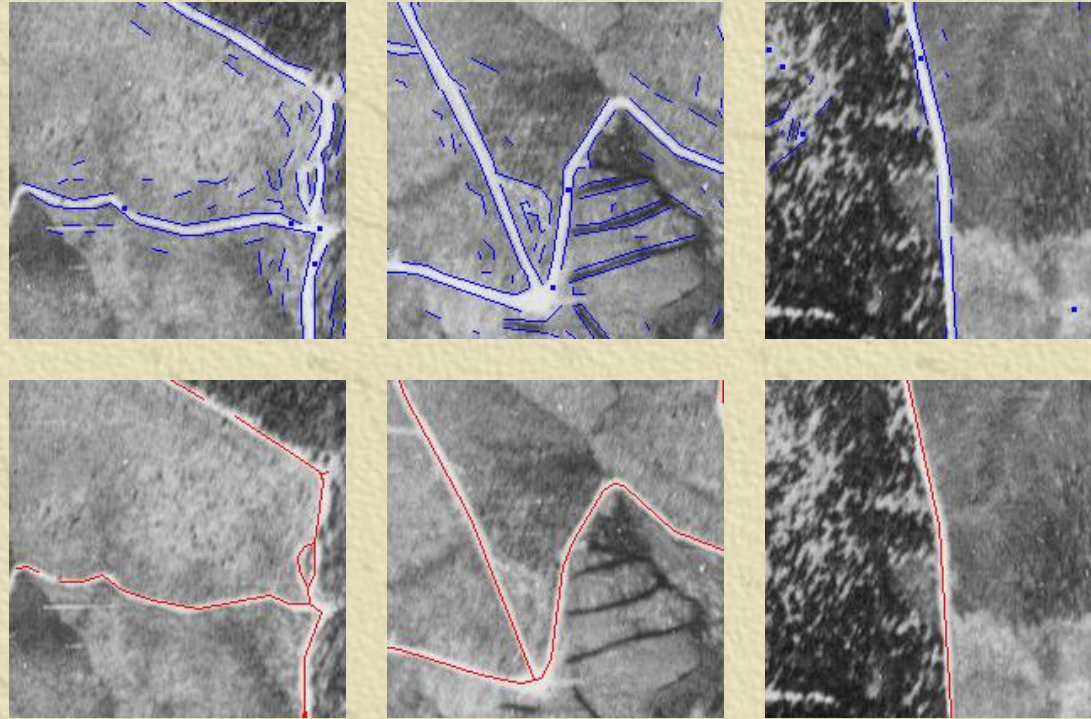
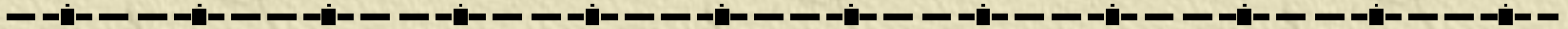
Image	Learned t	Optimal t	Based on learned t			Based on optimal t		
			Complete	Correct	CXC	Complete	Correct	CXC
1	293	320	42%	100%	42%	42%	100%	42%
2	270	270	61%	93%	52%	-		
3	270	270	49%	82%	33%	-		
4	287	220	18%	100%	18%	9%	100%	9%
5	320	320	52%	100%	52%	-		
6	270	270	23%	85%	17%	-		
7	290	300	2%	78%	1%	2%	78%	1%
8	290	290	49%	68%	23%	-		
9	236	220	85%	92%	71%	81%	91%	68%
10	279	270	11%	75%	6%	11%	75%	6%
11	303	320	13%	100%	13%	16%	100%	16%

 Same parameter value

 Close parameter value,  
Same results

 Close parameter value,  
Close results

# Experimental Results - Sequential Search (ctd)



**Figure 7 Some experimental results using our method on remotely sensed images by algorithm one**

# Experimental Results – Genetic search

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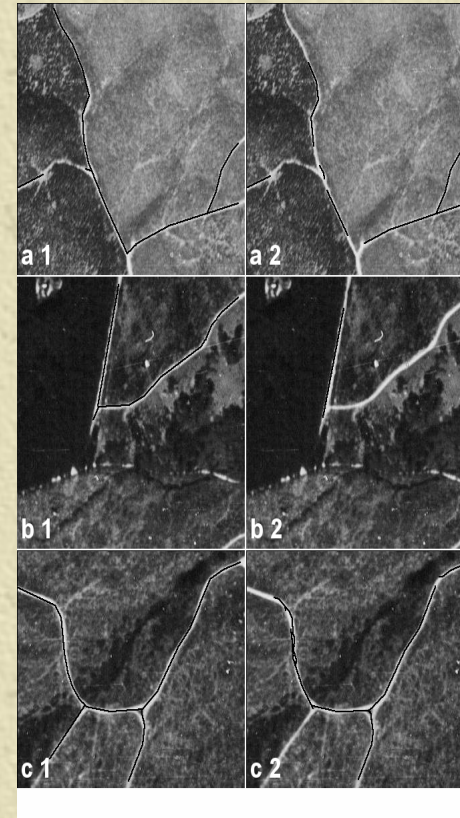
Table 3. Comparative results for shown images (CXC values) — High CXC is better.

	All (average)	Image A (average)	Patch a	Patch b	Patch c
Learning approach	34%	64%	90%	98%	87%
Standard approach	20%	55%	67%	31%	53%
Improvement	14%	9%	23%	67%	34%



# Experimental Results - Genetic search (ctd)

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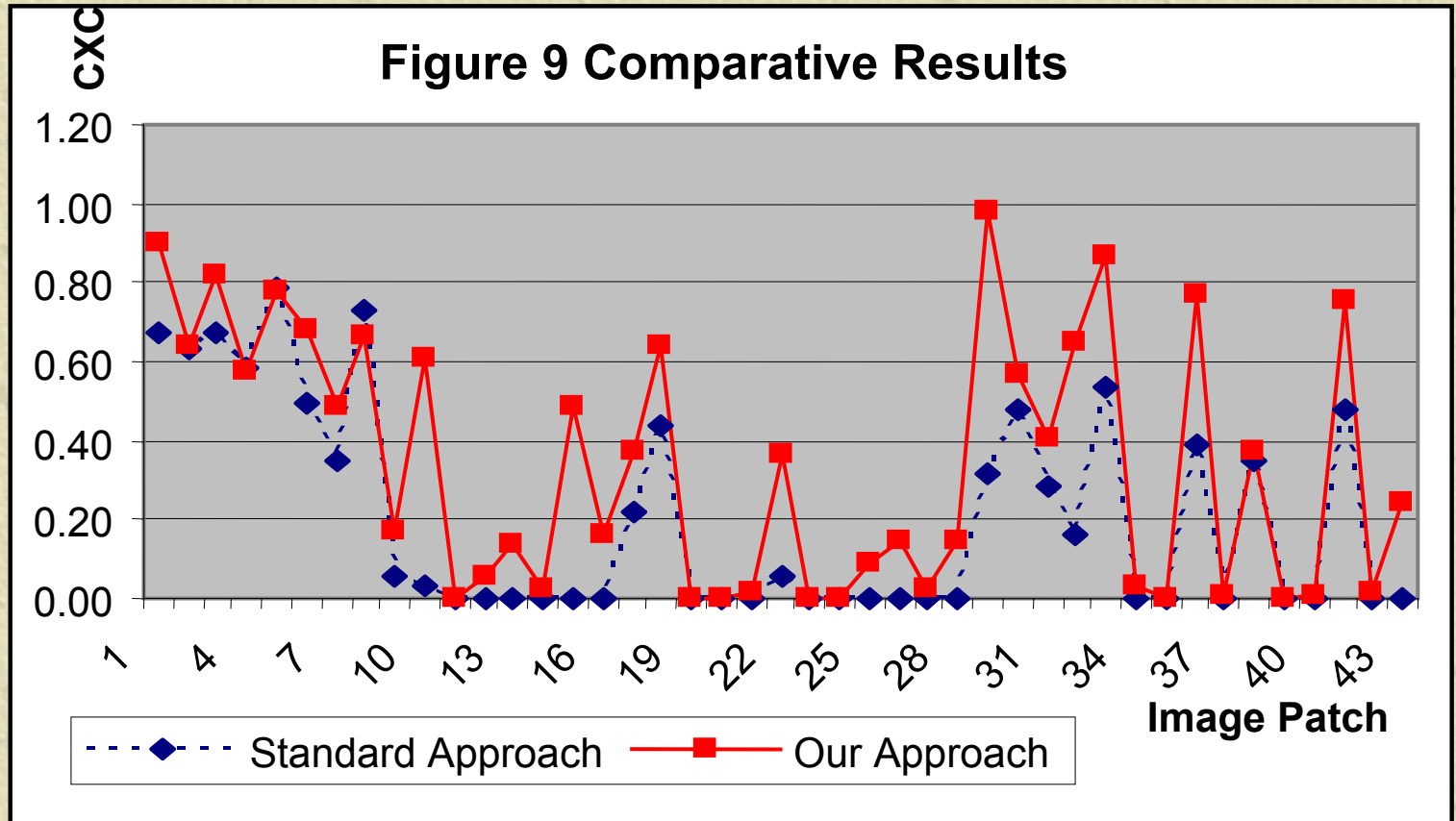


**Figure 8**

**Left:** Image A (1024\*1024 pixels) by learning approach (CXC 0.64 average).

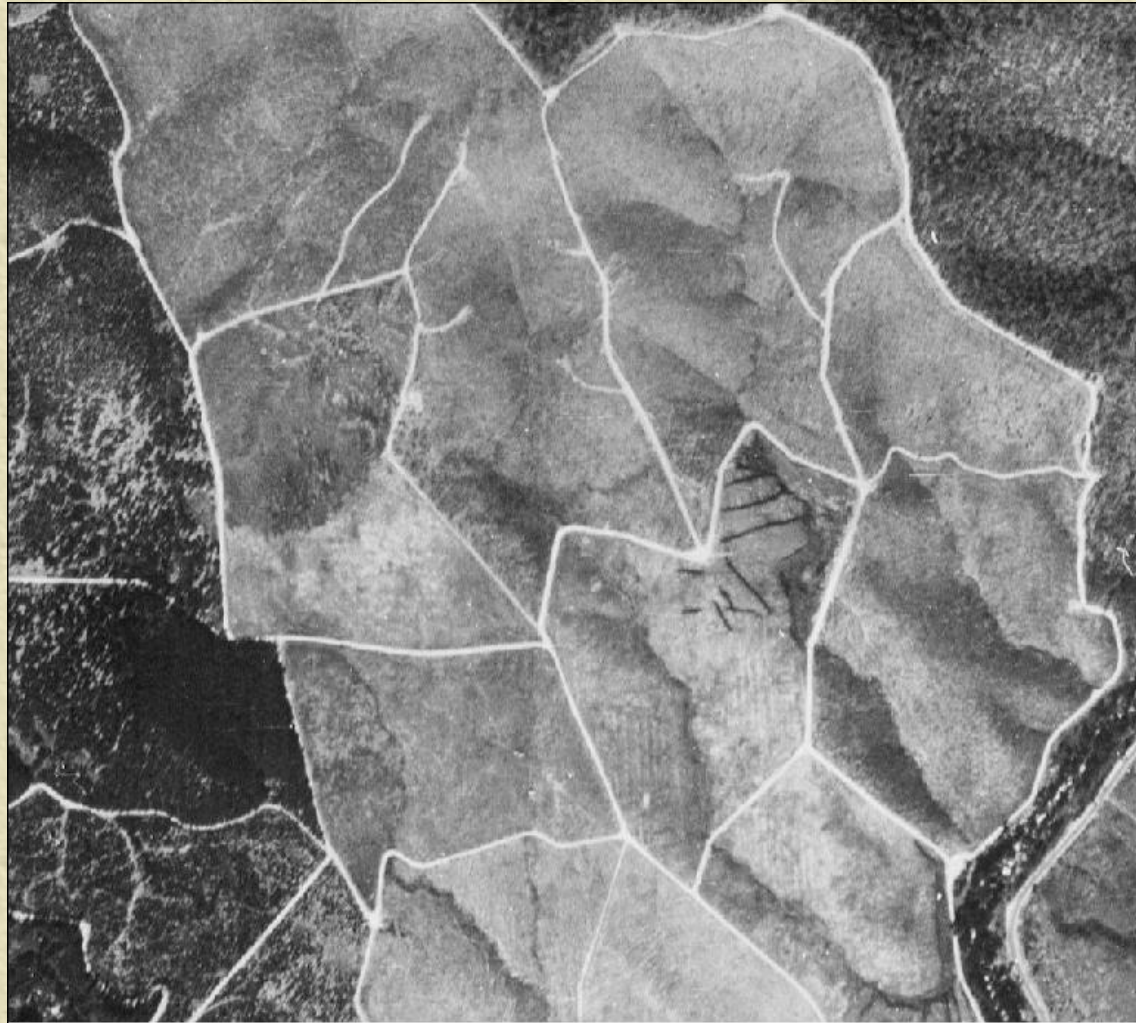
**Right:** Patches results: a1, b1 and c1 by learning approach; a2, b2 and c2 by standard approach.

# Experimental Results - Genetic search (ctd)



# Experiment Results (ctd)

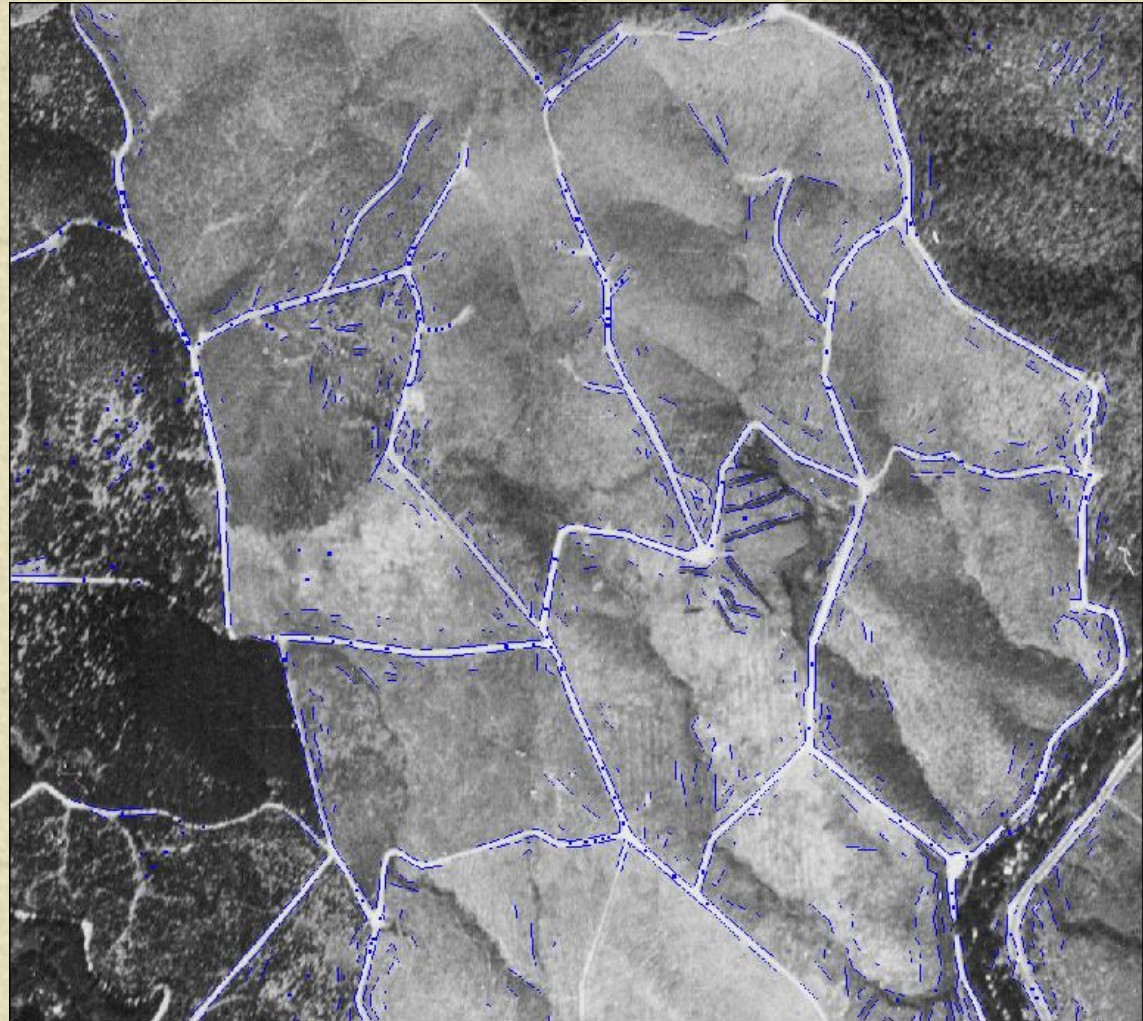
Original Image



**Figure 10-1 Experimental Results of One image Over 4 Steps in the Learning Approach**

# Experiment Results (ctd)

Edges & Seeds



**Figure 10-2 Experimental Results of One image Over 4 Steps in the Learning Approach**

# Experiment Results (ctd)

Contours

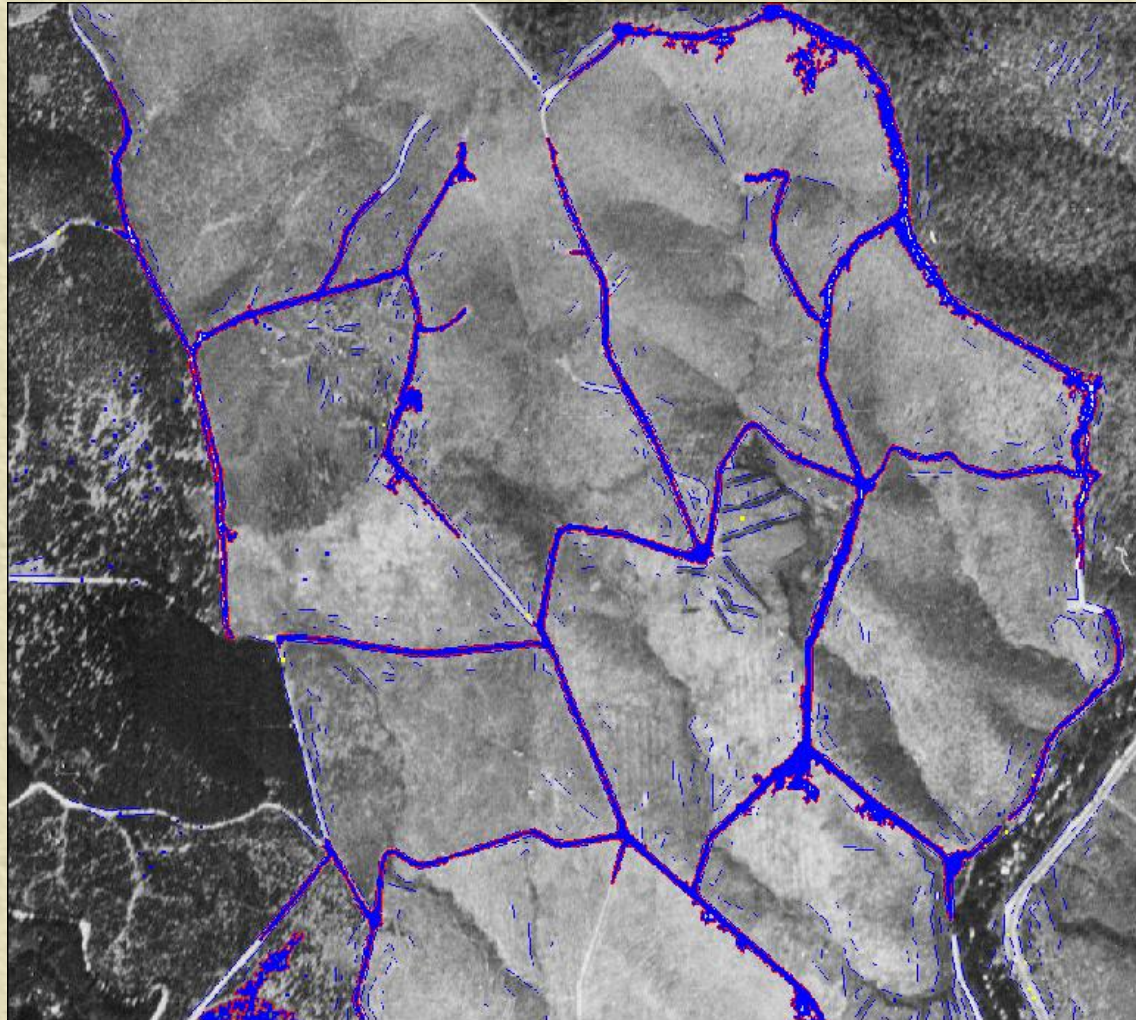
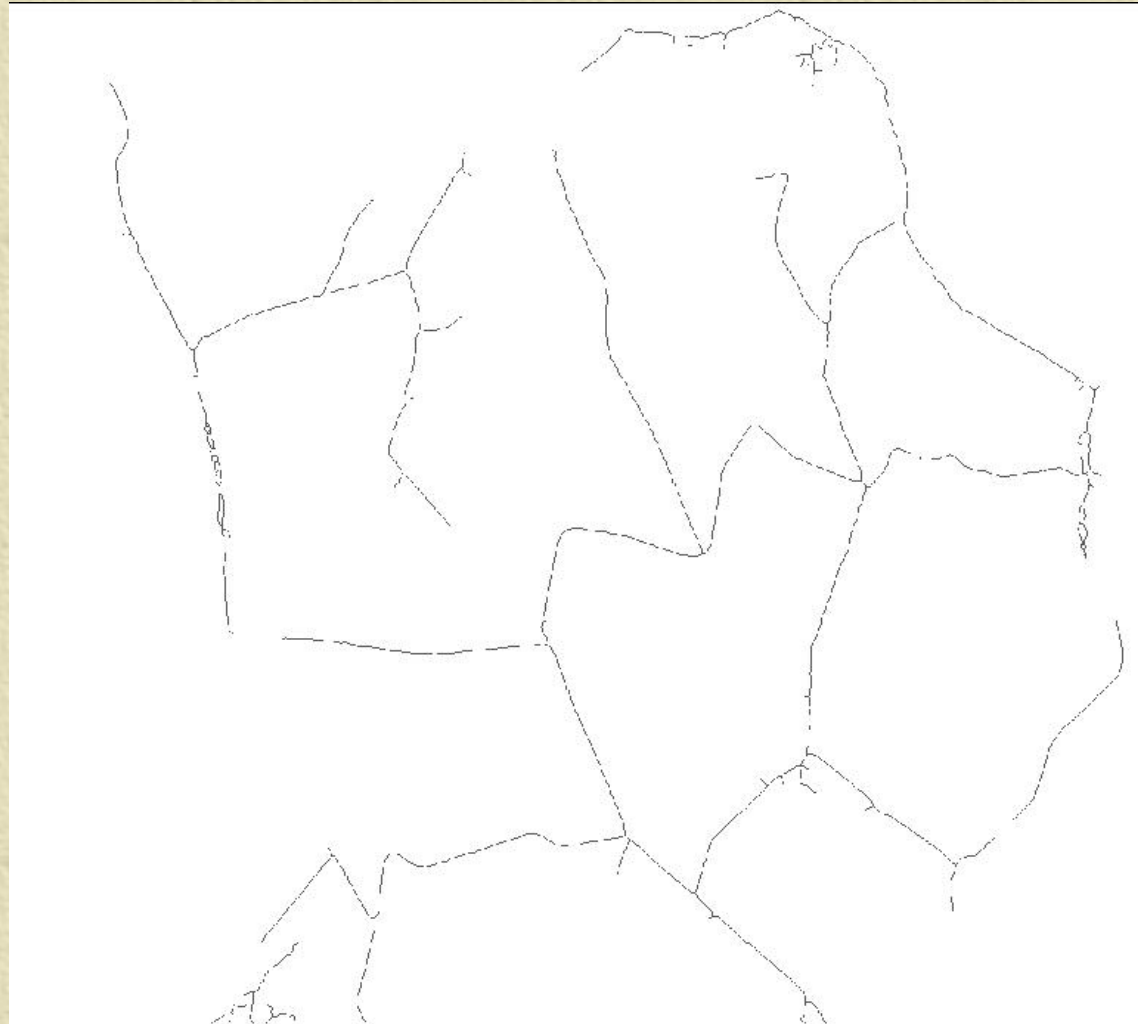


Figure 10-3 Experimental Results of One image Over 4 Steps in the Learning Approach

# Experiment Results (ctd)

Centrelines



**Figure 10-4 Experimental Results of One image Over 4 Steps in the Learning Approach**

# Experiment Results (ctd)

Mapping Back



**Figure 10-5 Experimental Results of One image Over 4 Steps in the Learning Approach**

# Conclusion

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- ✦ Region growing approach based on fast marching level set method for road recognition
- ✦ Automatic seed selection and parameter tuning using machine learning
  - relationships: seeds class, seed characteristics and image characteristics
  - relationships: parameters and image characteristics
- ✦ Information fusion to refine road centreline